The role of the degree of use of the facilities in the port choice process: the Spanish dockside cranes case

Ana Martínez-Pardo(*), Lorena García-Alonso and Alfonso Orro

Abstract

The aim of this study is to analyse how the degree of use of port facilities influences the port choice process. In order to achieve that goal, a multinomial logit model was firstly proposed and then applied to a case study. In this particular case, the relationship between the container traffic and the availability of cranes was considered for the main Spanish peninsular container ports. From the obtained results, it can be concluded that the port throughput contributes positively to attract traffic because of the economies of agglomeration and the scale and network effects achieved; however, there is a threshold of traffic beyond which the attractiveness of ports decreases. The proposed methodological approach also allows to obtain the functional form of the analysed relationship without establishing it a priori.

Keywords: shipping logistics; port competition; container traffic; port facilities congestion; saturation threshold; ship-to-shore gantry cranes; decision making; discrete choice theory; DCM; multinomial logit model; Spanish port system.

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1 Introduction

The extraordinary growth in international trade over the last decade has put a strain on a significant part of the port industry. The International Transport Forum within the OECD (ITF) acknowledged that congestion was a problem in many ports around the world (ITF, 2009). In 2009 the ITF stated that tremendous efforts have been made to resolve the problem at both policy and research levels (ITF, 2009), but in practice no significant progress has been made and recently, the Federal Maritime Commissioners of USA (FMC) again encouraged study in this area (FMC, 2015).

This paper delves into the study of how the degree of use of port facilities may influence port choice. In this line, the ITF point out: “When a port or its hinterland facilities are more strongly congested than is the case for competing ports, the quality of that port’s service may be lower in that it takes more time to access and egress the port and the reliability of service declines, and this weakens its competitive position” (International Transport Forum (ITF), 2009). There are plenty of studies about the impact of congestion on roads, as well as studies on the economic cost of urban congestion, but there do not appear to be so many on the consequences of congestion within ports.

Our working hypothesis to analyse how the degree of use of port facilities may influence port choice is: the more traffic a port has, the more attractive it becomes because of the economies of agglomeration, scale and network effects but only up to a certain point when the port starts to be saturated. From there, as port traffic continues to grow, ceteris paribus, its attractiveness starts to decrease due the negative consequences of saturation. This hypothesis is represented in Figure 1.

Figure 1: Degree of use of port facilities vs attractiveness of the port: a saturation threshold

In the rising part of the curve three effects are combined, and they predominate: [i] economies of scale, larger ships help lower unit transport costs, and lower cost attract more cargo; [ii] economies of agglomeration, the more traffic, the more activity in the port, and more activity involves greater variety of services and better conditions of quality and cost; and [iii] network effects, they arise when the volume of traffic allows an increase in the frequency of the routes, which results in an increase in the attractiveness of the port. This phenomenon is also known as the "Mohring effect" (Mohring, 1972). A review of the literature about economies of scale and
agglomeration in port scope can be found in Tovar et al. (2003, 2007); in relation to network
effects, see Veldman et al. (2011). The studies of Tiwari et al. (2003); Yeo et al. (2014) and
Slack (1985) stand out, highlighting a significant (negative) relationship between congestion
and port election.

The hypothesis will be tested with 6 million container exports for the four main Spanish
peninsular container ports between 2004 and 2012. To address it, a Discrete Choice Model
(DCM) has been proposed.

The paper is organized as follows. In Section 2 we provide an overview of the methodological
approach. In Section 3, the literature review on port choice from the perspective of DCM is
presented. In Section 4 we define the degree of use of port facilities indicator. In Section 5 the
framework of DCM and the model proposed, is described. The data is described in Section 6.
The empirical results are presented and discussed in Section 7. Finally, in Section 8 we outline
the conclusions and direction for further research.

2 Methodological approach

Recent literature reviews on port choice can be found at Martínez Moya and Feo Valero (2016)
and Parola et al. (2016). In these studies it can be seen that a great deal of research has been
carried out dealing with this topic. The most common approaches have been the Analytic
Hierarchy Process, the Factor Analysis, the Fuzzy Analytic Network Process and the Discrete
Choice Theory. In this study, a Discrete Choice Model (DCM) has been proposed to address
the suggested analysis.

Daniel McFadden won the Nobel prize in 2000 for his pioneering work in developing the
theoretical basis for discrete choice (McFadden, 2001). McFadden (1973) formulated an econo-
metric model in which the probability of choosing an alternative is defined as the probability
that the alternative has the greatest utility among the set of possible alternatives. DCM are
appropriate when describing or predicting the behaviour of a decision maker who chooses be-
tween several options (choice set). Its purpose is not to apply them to a particular choice, but
to study how it would affect a change in one of the explanatory variables of the model in the
probability of choosing each of the alternatives. Discrete choice analysis has become a stan-
dard tool not only in the planning and operation of transportation system facilities but also in
marketing, finance, political science and applied economics.

The economic interpretation of DCM is based on the utility generated for the products or
services assuming a utility-maximization behaviour (see e.g., Ben-Akiva and Lerman, 1985).
When applying them to port choice analysis, it is assumed that shipping $n$ chooses port $j$ be-
cause such port provides the highest utility for that flow of traffic. The utility $U_{nj}$ contains a
variety of variables relating to port alternative $j$ and the shipping $n$. The linear in parameters
specification with attributes in natural form is the most common. To specify non-linear influ-
ence of the attributes in the utility value, we can do it using, among other, logarithms or powers.
It can be introduced in the utility function and tested in the model estimation. A way to study
non-linearity without the need to set it a priori is to divide the attribute into ranges by using
dummy variables and estimate separate coefficients for each category. This is the approach this
study uses to test the stated hypothesis.
3 Literature review on port choice from the Discrete Choice Models’ perspective

There are many factors that can determine port choice, all of a different nature. To name a few, the cost and the transit time, from both the inland and the maritime point of view (i.e. location with respect to production and consumption centers or with respect to the main navigation routes), quality and speed of port operations, availability of adequate infrastructures and facilities or the frequency of the commercial lines. Table 1 shows the variables considered in the main published DCM analysing the port choice. The geographical area under analysis and the data source used are also shown. Non-significant variables (or with an unexpected sign) are also listed when they are highlighted in the original papers.

Despite the fact that efficient management of operations and full utilization of the available resources are major goals in port planning, there are few studies on the subject. In relation to port operations, the availability of port services was investigated (Tongzon and Sawant, 2007), efficiency (Blonigen and Wilson, 2006; Tongzon and Sawant, 2007), as well as its reliability (Anderson et al., 2009). In relation to the utilization of the available resources, the study that comes closest is Steven and Corsi (2012). They state that port congestion and crane productivity appear to significantly affect the choice of a port. They use crane productivity as a measure to capture the speed of vessel operations at a port (average number of crane moves per hour) and port congestion as a ratio of the average total number of container vessel calls per month to a port to its available berths. They approach both in a linear way.

In this study we take the viewpoint of the utilization of the available resources and aim to identify a saturation threshold beyond which the attractiveness of the port decreases. Therefore, we need to specify a non-linear influence of the attribute in the utility value\(^1\). For this purpose, we analyse a new attribute, not previously studied, namely the degree of utilization, which can influence other variables whose effects (cost, port services, Mohring effect, port congestion) have been studied in isolation and linearly.

4 Degree of use of port facilities indicator

Usually, the port industry uses the technical or physical characteristics of the terminals as input and port traffic (containers or cargo tonnes) as output (Drewry, 2014; Nuñez and Sánchez, 2006; International Transport Forum (ITF), 2014). This is due to both the fact that they reflect the most important and expensive infrastructures and equipment assets as well as being data which is easily available. The main technical or physical characteristics of a container terminal are its quay lines, yard and ship-to-shore gantry cranes (STS) commonly used in Port Performance Indicators (PPIs), which are indicators created to quantify and simplify available port information. For a review of the main approaches, see for instance González and Trujillo (2009); Ha et al. (2017); or Wilmsmeier et al. (2013).

STS crane productivity varies greatly depending on the crane’s type, size, lifting equipment and level of automation. It also depends, however, on many other factors such as handling strategies, the trailer service to and from the crane or the information system. For port efficiency, the cranes must be in line with the rest of infrastructures of the port, the workforce and the size of vessels that usually use the port. According to Wilmsmeier et al. (2013) and Bichou (2013), when the number of STS cranes are used in PPIs, they capture the efficiency of the
<table>
<thead>
<tr>
<th>Reference</th>
<th>Geog. Area</th>
<th>Data</th>
<th>Variables</th>
<th>Significant</th>
<th>Non-significant</th>
</tr>
</thead>
<tbody>
<tr>
<td>Malchow and Kanafani (2001)</td>
<td>USA</td>
<td>PIERS</td>
<td>Maritime and inland distance</td>
<td>Frequency.</td>
<td>Vessel capacity</td>
</tr>
<tr>
<td>Nir et al. (2003)</td>
<td>Taiwan</td>
<td>Survey (shippers)</td>
<td>Highway transit time and cost. Number of routes. Recurring user.</td>
<td>Frequency.</td>
<td>Closeness to port chosen</td>
</tr>
<tr>
<td>Anderson et al. (2009)</td>
<td>USA</td>
<td>PIERS</td>
<td>Inland distance and maritime transit time. Freight charge. Truck trip one way or return. Port reliability. Coastal variables: same coastal side of supplier or major market</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Garcia-Alonso and Sanchez-Soriano (2009)</td>
<td>Spanish peninsula</td>
<td>Spanish Customs Statistics</td>
<td>Inland distance</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Veldman and Gopkalo (2011)</td>
<td>Russia</td>
<td>Russian containerised</td>
<td>Inland time and cost. Maritime time and cost. South Basis routing</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Table 1: Classification of references using DCM to study Port Choice
terminal. In fact, this value is half of the theoretical values that manufacturers report UNCTAD (2015).

The Equation (1) defines the indicator we propose to assess the degree of use of port facilities ($TC$). It is based on the container traffic handled by the ship-to-shore (STS) per gantry cranes per year. As a measure of container traffic, the number of twenty-foot equivalent units (TEUs) are used. All container movements are considered, regardless of whether or not they are empty. No differentiation is made between different types, sizes and lifting equipment of STS gantry cranes.

$$TC_j(t) = \frac{TEU_j(t)}{CR_j(t)}$$

where:

- $TEU_j(t)$: Container traffic in TEUs moved by port $j$ in year $t$.
- $CR_j(t)$: STS gantry cranes at port $j$, year $t$.

We aim to validate the hypothesis that the influence of $TC$ is not linear: the more traffic a port has, the more attractive it becomes, but only up to a certain point when the port starts to be saturated. The methodology set out below allows us to obtain the functional form of the relation between the degree of use and the port attractiveness without setting it a priori. For a description of the data used here to illustrate the methodology, see Section 6.

The first step is to divide the attribute into ranges. So, after computing $TC_j$ we form categories, also called class intervals, by dividing the continuous variable $TC_j$ into $q$ segments. We divided it into four equal-sized classes: A, B, C, D (see Equation (2)). Another division of intervals can be chosen, see Section 7 for an adjustment of intervals to the case study.

$$\begin{align*}
\text{If} \quad TC_j \leq 50000 & \quad \rightarrow TC_j \in \text{Class A} \\
\text{If} \quad 50000 < TC_j \leq 100000 & \quad \rightarrow TC_j \in \text{Class B} \\
\text{If} \quad 100000 < TC_j \leq 150000 & \quad \rightarrow TC_j \in \text{Class C} \\
\text{If} \quad 150000 < TC_j \leq 200000 & \quad \rightarrow TC_j \in \text{Class D}
\end{align*}$$

(2)

Thereby, we can classify each port in a class for each of the years under study. The next step is to create dummy variables for each interval (see Equation 3). To test our working hypothesis, we will estimate the four coefficients associated with each of the dummy variables. This allows that each category has a value of influence on utility that is not restricted by a functional form established a priori. Once these coefficients are estimated, it will be possible to establish the relation between the attractiveness of the port and its degree of use.

$$\begin{align*}
TC^A_j = 1, \quad \text{if} \quad TC_j \in \text{Class A}; \quad \text{otherwise} \quad TC^A_j = 0 \\
TC^B_j = 1, \quad \text{if} \quad TC_j \in \text{Class B}; \quad \text{otherwise} \quad TC^B_j = 0 \\
TC^C_j = 1, \quad \text{if} \quad TC_j \in \text{Class C}; \quad \text{otherwise} \quad TC^C_j = 0 \\
TC^D_j = 1, \quad \text{if} \quad TC_j \in \text{Class D}; \quad \text{otherwise} \quad TC^D_j = 0
\end{align*}$$

(3)
5 The proposed model

5.1 Framework of discrete choice models

In the context of Discrete Choice Theory and using common notation, the probability that the shipping \( n \) goes through the port \( j \) from a choice set \( C \) with \( J \) alternatives can be expressed as:

\[
P_{nj} = \Pr( U_{nj} > U_{ni}, \forall j \neq i ) \quad C = \{1, \ldots, i, j, \ldots, J\}
\]

(4)

where \( U_{nj} \) is the utility of the port \( j \) for the shipping \( n \). However, this utility cannot be completely observed, and consequently is decomposed into two parts: [i] the observed part, \( V_{nj} \), representing the modelled effect of variables relating to port alternative \( j \) and the shipping \( n \) and [ii] the unobserved part (or error term), \( \varepsilon_{nj} \), that captures the factors that affect the utility but which are not included in \( V_{nj} \).

\[
U_{nj} = V_{nj} + \varepsilon_{nj}
\]

(5)

With regard to \( V_{nj} \), we propose the most frequent formulation in usual practice: a fixed coefficient utility specification that is linear in the parameters. It can be expressed as:

\[
V_{nj} = \text{ASC}_j + \sum_{k=1}^{K} \beta_k x_{knj}
\]

(6)

where:

- \( \text{ASC}_j \): The alternative-specific constants. These constants reflect the utility differences between alternatives when the rest of the \( V_{nj} \) expression is equal for all of them.
- \( x_{knj} \): The \( K \) observed variables relating to port alternative \( j \) and the shipping \( n \).
- \( \beta_k \): The generic coefficients (i.e. a unique coefficient for all the alternatives).

Different distributional assumptions on the error term, \( \varepsilon_{nj} \), lead to different discrete choice models (see e.g. Garrow (2010) for a recent overview of the models). A common assumption is that \( \varepsilon_{nj} \) are independently and identically distributed and follow the extreme value distribution type I or Gumbel distribution with scale parameter \( \mu \) greater than zero. To check the basic properties of the Gumbel distribution see e.g. Ben-Akiva and Lerman (1985). This assumption leads to the Multinomial Logit Model (MNL) (Domencich and McFadden, 1975). A common normalization is to set \( \mu \) to one, because it is an unidentifiable parameter (see general rules for identifying in Train (2009)). In these terms, the probability that the shipping \( n \) goes through the port \( j \), presented at the beginning of this section (Equation (4)), takes the following well-known form:

\[
P_{nj} = \frac{e^{V_{nj}}}{\sum_{i=1}^{J} e^{V_{ni}}}
\]

(7)
To estimate the values of model parameters \((ASC_j, \beta_{kj})\) we adopt the maximum likelihood approach which selects the value of coefficients which maximizes the fit of our utility specification to our dataset. If the dataset observations are independent, the likelihood function is given by the product of the probabilities, \(P_{nj}\):

\[
\mathcal{L}(ASC_j, \beta_{kj}) = \prod_{n=1}^{N} \prod_{j \in C} (P_{nj})^{y_{nj}}
\]

where \(y_{nj}\) indicates whether or not the alternative is chosen; i.e. is one if the shipping \(n\) goes through the port \(j\) and zero otherwise.

To facilitate the numerical maximization, since the maximums are the same, the log-likelihood or natural logarithm of the likelihood can be taken:

\[
\ln \mathcal{L}(ASC_j, \beta_{kj}) = \sum_{n=1}^{N} \sum_{j \in C} y_{nj} \ln(P_{nj})
\]

### 5.2 Specification

The proposed model is:

\[
V_{nj} = ASC_j + \beta_{DO} \ast DO_{nj} + \beta_{DD} \ast DD_{nj} + \beta_{CR} \ast CR_j(t) + \\
+ \sum_{q=1}^{Q} \beta_{TC}^{q} \ast TC^{q}_j(t-1)
\]

where:

- \(ASC_j\): The alternative-specific constant port \(j\).
- \(DO_{nj}\): The distance by road between port \(j\) and province of origin of shipping \(n\).
- \(DD_{nj}\): The distance for shipping \(n\) by maritime routes between port \(j\) and country of destination.
- \(CR_j(t)\): The number of STS cranes at port \(j\), year \(t\).
- \(TC^{q}_j(t-1)\): The dummy variable of \(TC\) for category \(q\) in the port \(j\), the year \(t-1\). We lagged it by one year to avoid endogeneity problems.

### 6 Dataset

Spain’s top container peninsular ports are: Valencia, Algeciras, Barcelona and Bilbao. All of them have at least one specific terminal for containers and are located in the same port region (the Spanish part of the Iberian peninsula). Figure 2 shows the evolution of TEUs moved by them for the period under study (2004-2012). As can be seen, the portion of freight traffic of each port has changed.

The data used in this analysis comes from the database of the Spanish Customs Statistics (SCS, 2014). SCS provide information about each single transaction made between Spain and the rest of the world by transport mode. SCS include, among other variables, the Spanish regions of origin (province level), the customs clearance province and the mainland destination.
To form our dataset we screened from SCS the data of the four main Spanish container peninsular ports from the years 2004 to 2012. We consider only export flows, container traffic, trade with non-European countries and peninsular provinces. Traffic flows from bordering countries are omitted due to the lack of data, so our dataset only involves national hinterland shipments.

According to the set of data from SCS, covering the years 2004 to 2012, Barcelona was the most selected alternative for container exports to non-European countries, closely followed by Valencia (see Table 2). The port of Algeciras was chosen by scarcely 6% of the operations, whereas Bilbao was responsible for an even smaller proportion. These data are taken from the perspective of interport competition. It must be pointed out that these data consider only part of the container traffic, whereas to measure the degree of use of the facilities all the traffic that passes through each terminal has been used. The most notable difference occurs in the port of Algeciras. This port attracts less hinterland shipments than Barcelona or Valencia, but it is among the top ten container ports of the European continent and is one of the fifty most important in the world (see the statistics of International Association of Ports and Harbors (IAPH) (2015)) as it is an important transfer port.

Table 2: Container export shipments to non-European countries through the main Spanish peninsular container ports (accumulated total between 2004-2012). Source: Own elaboration from data provided by the SCS (2014).

<table>
<thead>
<tr>
<th>Port</th>
<th>Shipments</th>
<th>Share (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Algeciras</td>
<td>316136</td>
<td>5.82%</td>
</tr>
<tr>
<td>Barcelona</td>
<td>2815136</td>
<td>51.82%</td>
</tr>
<tr>
<td>Bilbao</td>
<td>1647</td>
<td>0.03%</td>
</tr>
<tr>
<td>Valencia</td>
<td>2299637</td>
<td>42.33%</td>
</tr>
<tr>
<td><strong>Total</strong></td>
<td><strong>5432556</strong></td>
<td></td>
</tr>
</tbody>
</table>

The Spanish Port Authority provides the characteristics of Spanish port (Spanish Port Authority, 2016). The STS gantry cranes and TEUs moved per port can be found in Traffic Statistics or the Statistical Yearbooks of Spanish ports which, like SCS, are openly available. With respect to the variables linked with the hinterland and the foreland, on the one hand, we com-
pute the distance by road, between the port and the provincial capital of origin of trade and, on the other hand the mean of the maritime distance by shipping routes between the port of origin and the main port of the country of destination. This maritime distance reflects the vessel’s routes. To compute this, we take the mean distance of the most frequently routes according to SeaRates (2015).

7 Obtained results and discussion

The models were estimated with BIOGEME (Bierlaire, 2016), software specifically designed for discrete choice models using maximum likelihood estimation. The maximization is performed using the CFSQP algorithm (Lawrence et al., 1997), using a Sequential Quadratic Programming method.

To reach the proposed specification (Equation (10)), we add to the null model (MNL 0) the variables one by one: [i] firstly we consider MNL C, the model with only constants ($ASC_j$); [ii] we add the distance by road between port and province of origin of trade ($DO_{nj}$) in MNL 1; [iii] distance between port and country of destination of trade ($DD_{nj}$) is added for MNL 2; [iv] number of STS cranes ($CR_j$) in MNL 3 and [v] TEUs moved by crane ($TC_{nj}$) in MNL 4.

The main statistical results are available in Table 3. We use the likelihood ratio test ($LR$) (see Ben-Akiva and Lerman, 1985) and, accordingly, in all cases rejected with a confidence over 99% the possibility that both models are equal, so we accept the inclusion of all the new variables proposed in each model. Two ratio likelihood indexes are used: $\rho^2$ and adjusted $\bar{\rho}^2$ (see Ortúzar and Willumsen, 2011). The former takes the null model (MNL 0) as reference and the latter, the model with only constants (MNL C); both vary between 0 (no fit) and 1 (perfect fit).

<table>
<thead>
<tr>
<th>Models</th>
<th>LogLik</th>
<th>$\rho^2$</th>
<th>$\bar{\rho}^2$</th>
<th>Parameters</th>
<th>LR</th>
<th>Comparison</th>
</tr>
</thead>
<tbody>
<tr>
<td>MNL 0</td>
<td>$-7 531 122$</td>
<td>0</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>MNL C</td>
<td>$-4 740 002$</td>
<td>0.3706</td>
<td>0.3706</td>
<td>3</td>
<td>$-5 582 240$</td>
<td>MNL 0 - MNL C</td>
</tr>
<tr>
<td>MNL 1</td>
<td>$-2 217 834$</td>
<td>0.7055</td>
<td>0.5321</td>
<td>4</td>
<td>$-5 044 336$</td>
<td>MNL C - MNL 1</td>
</tr>
<tr>
<td>MNL 2</td>
<td>$-2 202 004$</td>
<td>0.7076</td>
<td>0.5354</td>
<td>5</td>
<td>$-31 659$</td>
<td>MNL 1 - MNL 2</td>
</tr>
<tr>
<td>MNL 3</td>
<td>$-2 201 182$</td>
<td>0.7077</td>
<td>0.5356</td>
<td>6</td>
<td>$-1 644$</td>
<td>MNL 2 - MNL 3</td>
</tr>
<tr>
<td>MNL 4</td>
<td>$-2 194 364$</td>
<td>0.7086</td>
<td>0.5371</td>
<td>9</td>
<td>$-13 636$</td>
<td>MNL 3 - MNL 4</td>
</tr>
</tbody>
</table>

The estimated parameters are included in Table 4. All of them are significantly different from zero. The $ASC_j$ and the categorical variable $TC_{ij}$ are normalized according to the general rules of identification of discrete choice models (see Train (2009)). With J alternatives, at most $J-1$ alternative-specific constants and $J-1$ categorical variable can be estimated. This is due to the fact that only differences in utility matter, so only parameters that capture differences
across alternatives can be estimated. It really does not matter which alternative is normalized, but the results should be interpreted with respect to the reference level taken. In our case, Barcelona is the reference alternative \((ASC_{Bar} = 0)\) and for \(TC_j^q\) the reference is category B \((\beta_{TC}^B = 0)\).

Table 4: Estimated parameters MNL 4

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Variable units</th>
<th>Value</th>
<th>Robust Std. error</th>
<th>Robust t-stat</th>
</tr>
</thead>
<tbody>
<tr>
<td>(ASC_{Alg})</td>
<td></td>
<td>-1.470</td>
<td>0.0047</td>
<td>-309.82</td>
</tr>
<tr>
<td>(ASC_{Bar}[fixed])</td>
<td></td>
<td>0.000</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(ASC_{Bill})</td>
<td></td>
<td>-7.930</td>
<td>0.0298</td>
<td>-265.74</td>
</tr>
<tr>
<td>(ASC_{Val})</td>
<td></td>
<td>-0.558</td>
<td>0.0025</td>
<td>-226.44</td>
</tr>
<tr>
<td>(\beta_{DO})</td>
<td>(10^3) km</td>
<td>-6.870</td>
<td>0.0035</td>
<td>-1964.45</td>
</tr>
<tr>
<td>(\beta_{DD})</td>
<td>(10^4) km</td>
<td>-7.860</td>
<td>0.0393</td>
<td>-199.89</td>
</tr>
<tr>
<td>(\beta_{CR})</td>
<td>(10^3) ud</td>
<td>6.120</td>
<td>0.3530</td>
<td>17.33</td>
</tr>
<tr>
<td>(\beta_{TC}^A)</td>
<td></td>
<td>-0.286</td>
<td>0.0567</td>
<td>-5.04</td>
</tr>
<tr>
<td>(\beta_{TC}^B[fixed])</td>
<td></td>
<td>0.000</td>
<td></td>
<td></td>
</tr>
<tr>
<td>(\beta_{TC}^C)</td>
<td></td>
<td>0.204</td>
<td>0.0027</td>
<td>74.82</td>
</tr>
<tr>
<td>(\beta_{TC}^D)</td>
<td></td>
<td>-0.585</td>
<td>0.0059</td>
<td>-99.24</td>
</tr>
</tbody>
</table>

Statistics:
Sample size = 5432556
Number of estimated parameters = 9
\(\ln \mathcal{L} \) initial = -7531121.749
\(\ln \mathcal{L} \) final = -2194364.105
\(\rho^2\) = 0.7086
\(\bar{\rho}^2\) = 0.5371

As expected, the signs for the coefficients of distance \((\beta_{DO} \text{ and } \beta_{DD})\) are negative. This implies that increases in the values of these variables reduce the utility of that port alternative and, therefore, the probability that it will be chosen. In the same way, the sign of \(\beta_{CR}\) is positive, so if a port increases the number of dockside cranes, it enhances its utility and, hence, the probability that it will be chosen. The value of \(TC\) coefficients vary among categories (see \(\beta_{TC}^A, \beta_{TC}^B, \beta_{TC}^C\) and \(\beta_{TC}^D\)). It does not always grow as the degree of use increases. As can be seen in Figure 3, the economies of agglomeration and scale, as well as the network effect, are perceived in class A and B, while from a point between 100000 and 150000 TEUs/crane (class C) the port attractiveness decreases as the volume of traffic increases. That is, there is a saturation threshold in the degree of use of port facilities beyond which the attractiveness of the port decreases. It can be seen as confirmation of the hypothesis drawn: the degree of use of the port equipment impacts port choice, and there is a threshold beyond which the effect of congestion in the port endowment outweighs the benefits from the economies of agglomeration, scale and network effects. Thus, in relation to the degree of use of its facilities, a saturated port is less attractive.
The threshold can be located, more accurately, adjusting the size of the intervals. A greater number of classes has been established, seeking a better distribution of the values between them. The Fisher-Jenks algorithm is used, also known as Fisher’s natural breaks classification, implemented in the package *classInt* (Bivand, 2015). This classification is an improvement of Jenks’ natural breaks classification (Jenks and Caspall, 1971), which is a re-implementation of the algorithm described by Fisher in the context of the Choropleth maps (Fisher, 1958). The algorithm iteratively compares the sums of the squared differences between observed values within each class and the averages of the classes. This method minimizes the internal variability of the classes and maximizes the differences between classes, for a number of previously specified intervals. For the case study, the maximum number of intervals that can be obtained is seven. This maximum is marked by the requirements of the DCM that demand a minimum of data and variability in order to be estimated. The classes obtained are detailed below:

\[
\begin{align*}
\text{If} & \quad 44346.60 < TC_j \leq 58905.44 \quad \rightarrow \quad TC_j \in \text{Class I} \\
\text{If} & \quad 58905.44 < TC_j \leq 75375.56 \quad \rightarrow \quad TC_j \in \text{Class II} \\
\text{If} & \quad 75375.56 < TC_j \leq 91035.13 \quad \rightarrow \quad TC_j \in \text{Class III} \\
\text{If} & \quad 91035.13 < TC_j \leq 107173.80 \quad \rightarrow \quad TC_j \in \text{Class IV} \\
\text{If} & \quad 107173.80 < TC_j \leq 131279.50 \quad \rightarrow \quad TC_j \in \text{Class V} \\
\text{If} & \quad 131279.50 < TC_j \leq 163444.00 \quad \rightarrow \quad TC_j \in \text{Class VI} \\
\text{If} & \quad 163444.00 < TC_j \leq 187017.66 \quad \rightarrow \quad TC_j \in \text{Class VII}
\end{align*}
\]

Table 5 shows the results obtained after reclassifying the ports according to the new intervals and re-estimating the model based on them (MNL 5). If compared with MNL 4 (four categories), the *LR* is positive, justifying the inclusion of the new categories. In Figure 4 the curve is drawn with four and seven categories. It can be seen that the shape remains and the
threshold is located more accurately (class V, $107173.80 < TC_j \leq 131279.50$), reinforcing the conclusion that the most saturated classes result in lesser utility.

Table 5: Estimated parameters MNL 5

<table>
<thead>
<tr>
<th>Parámetros</th>
<th>Unidades</th>
<th>Valor</th>
<th>Error Std. rob.</th>
<th>Test-t rob.</th>
<th>p-valor</th>
</tr>
</thead>
<tbody>
<tr>
<td>ASC$_{Alg}$</td>
<td></td>
<td>-1.190</td>
<td>0.006 9</td>
<td>-171.76</td>
<td>0.00</td>
</tr>
<tr>
<td>ASC$_{Bar}$ [fixed]</td>
<td></td>
<td>0.000</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>ASC$_{Bil}$</td>
<td></td>
<td>-7.750</td>
<td>0.046 4</td>
<td>-185.07</td>
<td>0.00</td>
</tr>
<tr>
<td>ASC$_{Val}$</td>
<td></td>
<td>-0.571</td>
<td>0.003 1</td>
<td>-226.44</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{DO}$</td>
<td>$10^3 \ km$</td>
<td>-6.880</td>
<td>0.003 5</td>
<td>-1957.78</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{DD}$</td>
<td>$10^4 \ km$</td>
<td>-7.940</td>
<td>0.039 4</td>
<td>-201.40</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{CR}$</td>
<td>$10^3 \ ud$</td>
<td>1.260</td>
<td>0.653 0</td>
<td>1.92</td>
<td>0.05</td>
</tr>
<tr>
<td>$\beta_{I}^{TC}$</td>
<td></td>
<td>-0.401</td>
<td>0.053 8</td>
<td>-7.47</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{II}^{TC}$ [fixed]</td>
<td></td>
<td>0.000</td>
<td></td>
<td></td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{III}^{TC}$</td>
<td></td>
<td>0.066</td>
<td>0.006 8</td>
<td>9.66</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{IV}^{TC}$</td>
<td></td>
<td>0.105</td>
<td>0.008 5</td>
<td>12.42</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{V}^{TC}$</td>
<td></td>
<td>0.303</td>
<td>0.005 2</td>
<td>58.31</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{VI}^{TC}$</td>
<td></td>
<td>-0.581</td>
<td>0.010 0</td>
<td>-58.15</td>
<td>0.00</td>
</tr>
<tr>
<td>$\beta_{VII}^{TC}$</td>
<td></td>
<td>-1.030</td>
<td>0.010 8</td>
<td>-95.40</td>
<td>0.00</td>
</tr>
</tbody>
</table>

Statistics:
Sample size = 5432556
Number of estimated parameters = 12
\[
\ln \mathcal{L} \text{ initial} = -7531121.749 \\
\ln \mathcal{L} \text{ final} = -2189184.187 \\
\hat{\rho}^2 = 0.7093 \\
\hat{\rho}^2 = 0.5381
\]

The value of the saturation threshold obtained for our case study is around 119226 TEUs/crane, for seven classes, and 125000, for four classes. This threshold, beyond which the attractiveness of the port decreases, is close to the average TEUs/crane observed in container terminals: worldwide 123489 (Drewry, 2014) and 125400 Terminals in Latin America and the Caribbean (CEPAL, 2013).
8 Conclusions

This paper analyses the competition between the main Spanish peninsular container ports. Results show that firstly, as expected, an increase in the number of STS gantry cranes and a reduction of the distance in origin or to destination, increases the utility of the port and, hence, the probability that it will be chosen. Secondly, the degree of use of port facilities (TEUs per gantry crane) in a port plays a relevant role in port choice behaviour. Finally, there is a threshold beyond which the attractiveness of the port decreases as part of the port endowment becomes saturated. The benefits from the effects of the economies of agglomeration, scale and network are muted by congestion of the facilities.

Therefore, our general finding is that the attractiveness of the port is conditioned by the degree of use of its port facilities or equipment. This is evident in two ways. On the one hand, as explained before, the concentration of traffic has a positive effect on the port’s attractiveness which diminishes as the optimal occupancy of the port facilities is approached. On the other hand, the results allow us to go further and see how, if the expansion of port facilities is not accompanied by a growth of traffic, it is also likely that the utility of the port will decrease. That is to say, given a level of traffic, expanding the facilities leads to an increase in costs. If these costs are not offset by a growth of economies of agglomeration, scale and network effects, what was expected to positively enhance the attractiveness of the port, ends up being negative due to the rise of costs.

The results obtained in this paper confirm that the endowment increase of a fixed element of port equipment only reinforces the port attractiveness when it is necessary. Otherwise, it is an incorrect strategy, and the results highlight that it is also wrong to ignore reaching saturation point. Therefore, the Port Authorities should take into account the degree of use of their facilities when defining their competitive strategies and, therefore, their investment expenditure.

The study has dealt with STS gantry cranes but the idea and the result could be extended...
to all elements of the port. Due to the relevance of the obtained results, both from a scholarly and managerial perspective, the analysis could be repeated regarding different elements of the port facilities, such as those related to the berth (TEU per metre of quay) or the yard (TEU per hectare). It could also be interesting for future research to address which of the facilities are more easily saturate so causing bottlenecks, conditioning the attractiveness of the entire installation.

Acknowledgement

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References


